

Tradicionalni račun imen

Tako imenujem logiko imen ali terminov, ki jo je razvil Grški filozof Aristotel, sicer tudi učitelj Aleksandra Makedonskega. Račun imen proučuje odnose med t.i. *kategoričnimi* stavki. Te delimo na:

- 1) *splošno trdilne*, ki imajo obliko »Vsak S je P.«
- 2) *delno trdilne*, ki imajo obliko »Vsaj en S je P.« (Nekateri S so P.)
- 3) *splošno nikalne*, ki imajo obliko »Noben S ni P.« (Ne obstaja S, ki je P.)
- 4) *delno nikalne*, ki imajo obliko »Vsaj en S ni P.« (Nekateri S niso P.)

Imeni ali termina S in P imenujem *subjekt* in *predikat* stavka.

V računu imen se uporabljajo naslednji zapisi kategoričnih stavkov:

$$S a P \equiv \text{Vsak } S \text{ je } P.$$

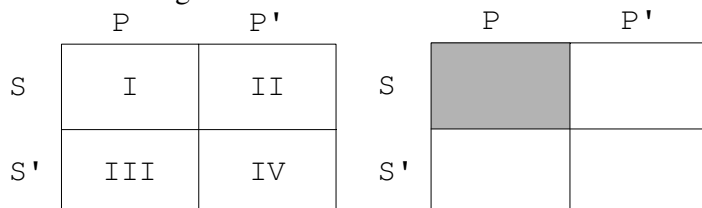
$$S i P \equiv \text{Vsaj en } S \text{ je } P.$$

$$S e P \equiv \text{Noben } S \text{ ni } P.$$

$$S o P \equiv \text{Vsaj en } S \text{ ni } P.$$

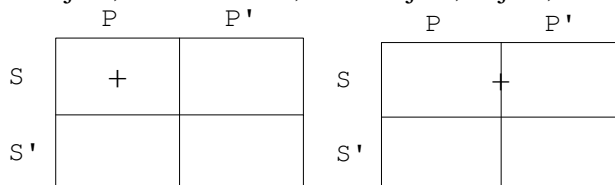
Glede na pomene stavkov lahko njihovo resničnos ponazorimo z diagrami.

Najbolj znani so Vennovi diagrami, vendar se bomo tokrat poslužili Carrollovih diagramov.



Pogovorno področje, to je množico vseh reči o katerih se pogovarjamo, razdelimo na štiri dele. Prvi del predstavlja tiste reči, ki imajo tako lastnost S kot P. Drugi del so tisti, ki imajo lastnost S nimajo pa lastnosti P. Oznaka P' je oznaka za complement ali negacijo imena P. Tretji del so reči, ki niso S, so pa P, in četrti tiste reči, ki niso ne S ne P.

Osenčeno področje pomeni, da tam ni nomene reči. V našem primeru ne obstaja S, ki bi bil P. To, da obstaja S, ki je P, zaznamujemo s +.



Zadnji diagram pove, da obstaja vsaj en S (ne vemo pa ali je P ali P'). Glede na dogovorjeno, lahko resničnost in neresničnost kategoričnih stavkov predstavimo s tabelo.

	resnica	neresnica												
S a P	<table border="1" style="border-collapse: collapse; text-align: center; width: 100px; height: 100px;"> <tr><td style="padding: 2px;">P</td><td style="padding: 2px;">P'</td></tr> <tr><td style="padding: 2px;">S</td><td style="background-color: #cccccc;"></td></tr> <tr><td style="padding: 2px;">S'</td><td style="padding: 2px;"></td></tr> </table>	P	P'	S		S'		<table border="1" style="border-collapse: collapse; text-align: center; width: 100px; height: 100px;"> <tr><td style="padding: 2px;">P</td><td style="padding: 2px;">P'</td></tr> <tr><td style="padding: 2px;">S</td><td style="padding: 2px;">+</td></tr> <tr><td style="padding: 2px;">S'</td><td style="padding: 2px;"></td></tr> </table>	P	P'	S	+	S'	
P	P'													
S														
S'														
P	P'													
S	+													
S'														
S i P	<table border="1" style="border-collapse: collapse; text-align: center; width: 100px; height: 100px;"> <tr><td style="padding: 2px;">P</td><td style="padding: 2px;">P'</td></tr> <tr><td style="padding: 2px;">S</td><td style="padding: 2px;">+</td></tr> <tr><td style="padding: 2px;">S'</td><td style="padding: 2px;"></td></tr> </table>	P	P'	S	+	S'		<table border="1" style="border-collapse: collapse; text-align: center; width: 100px; height: 100px;"> <tr><td style="padding: 2px;">P</td><td style="padding: 2px;">P'</td></tr> <tr><td style="background-color: #cccccc;"></td><td style="padding: 2px;"></td></tr> <tr><td style="padding: 2px;">S'</td><td style="padding: 2px;"></td></tr> </table>	P	P'			S'	
P	P'													
S	+													
S'														
P	P'													
S'														
S e P	<table border="1" style="border-collapse: collapse; text-align: center; width: 100px; height: 100px;"> <tr><td style="padding: 2px;">P</td><td style="padding: 2px;">P'</td></tr> <tr><td style="background-color: #cccccc;"></td><td style="padding: 2px;"></td></tr> <tr><td style="padding: 2px;">S'</td><td style="padding: 2px;"></td></tr> </table>	P	P'			S'		<table border="1" style="border-collapse: collapse; text-align: center; width: 100px; height: 100px;"> <tr><td style="padding: 2px;">P</td><td style="padding: 2px;">P'</td></tr> <tr><td style="padding: 2px;">S</td><td style="padding: 2px;">+</td></tr> <tr><td style="padding: 2px;">S'</td><td style="padding: 2px;"></td></tr> </table>	P	P'	S	+	S'	
P	P'													
S'														
P	P'													
S	+													
S'														
S o P	<table border="1" style="border-collapse: collapse; text-align: center; width: 100px; height: 100px;"> <tr><td style="padding: 2px;">P</td><td style="padding: 2px;">P'</td></tr> <tr><td style="padding: 2px;">S</td><td style="padding: 2px;">+</td></tr> <tr><td style="padding: 2px;">S'</td><td style="padding: 2px;"></td></tr> </table>	P	P'	S	+	S'		<table border="1" style="border-collapse: collapse; text-align: center; width: 100px; height: 100px;"> <tr><td style="padding: 2px;">P</td><td style="padding: 2px;">P'</td></tr> <tr><td style="padding: 2px;">S</td><td style="background-color: #cccccc;"></td></tr> <tr><td style="padding: 2px;">S'</td><td style="padding: 2px;"></td></tr> </table>	P	P'	S		S'	
P	P'													
S	+													
S'														
P	P'													
S														
S'														

Iz tabele razberemo, da sta stavka S a P in S o P *kontradiktorna* (nasprotujoča), to je kadar je eden resničen, je drugi neresničen. Enako velja za stavka S i P in S e P. Seveda tudi brez diagrama lahko ugotovimo, da so negacije stavkov:

Vsak S je P	Obstaja S, ki ni P
Vsaj en S je P	Noben S ni P
Noben S ni P	Vsaj en S je P
Vsaj en S ni P	Vsak S je P

To, da področje X ni prazno, lahko definiramo:

$Ex(X) \equiv X \text{ i } X$.

Silogizmi

Silogizmi so pravila sklepanja, v katerih iz dveh kategoričnih stavkov (*predpostavk* ali *premis*) logično sledi tretji kategorični stavek (*zaključek* ali *sklep*).

Nekateri silogizmi potrebujejo še predpostavko, da neko področje ni prazno. Sklep ima obliko $S \text{ x } P$, S je subjekt in P predikat. Prva predpostavka ima obliko $P \text{ y } M$ ali $M \text{ y } P$, druga pa $S \text{ z } M$ ali $M \text{ z } S$. Termin M natopa v obeh predpostavkah se imenuje *srednji termin*.

Glede na položaj srednjega termina razlikujemo štiri *silogistične figure*.

I	II	III	IV
M P	P M	M P	P M
S M	S M	M S	M S
-----	-----	-----	-----
S P	S P	S P	S P

V vsaki figuri lahko postavimo a , i , e in o v tri stavke silogizma. To pomeni, da imamo v vsaki figure 4.4.4=64 silogizmov. Tako je skupaj 256 silogizmov, vendar je le 24 logično pravih, 9 od teh potrebujejo še predpostavko o nepraznosti območja.

1. figura

M a P	M a P	M e P
S a M	S i M	S a M
-----	-----	Ex (S)
S a P	S i P	-----
M a P	M e P	S o P
S a M	S a M	M e P
Ex (S)	-----	S i M
-----	S e P	-----
S i P	S o P	S o P

2. figura

P a M	P a M	P a M	P e M
S e M	S e M	S o M	S a M
-----	Ex(S)	-----	Ex(S)
S e P	-----	S o P	-----
	S o P		S o P
		P e M	
		S a M	P e M
		-----	S i M
		S e P	-----
			S o P

3. figura

M a P	M a P	M e P	M e P
M a S	M i S	M a S	M i S
Ex(M)	-----	Ex(M)	-----
-----	S i P	-----	S o P
S i P		S o P	
	M i P		M o P
	M a S		M a S
	-----		-----
	S i P		S o P

4. figura

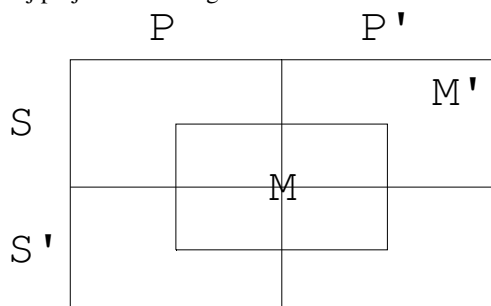
P a M		P i M	
M a S	P a M	M a S	P e M
Ex(P)	M e S	-----	M i S
-----	Ex(S)	S i P	-----
S i P	-----		S o P
	S o P		
P a M		P e M	
M e S		M a S	
-----		Ex(M)	
S e P		-----	
		S o P	

Kako ugotovimo pravilnost oz. nepravilnost silogizma?

Oglejmo si silogizem

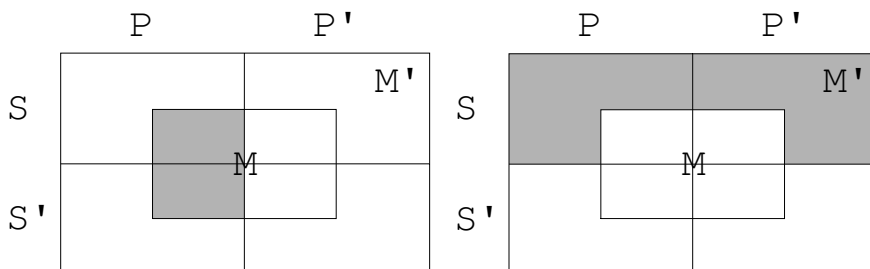
$M \text{ e } P$
 $S \text{ a } M$
 $S \text{ e } P$

Naj prej moramo diagrame razširiti še za M in M' .

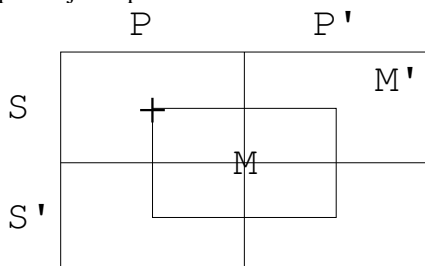


Reči z lastnostjo M predstavljajo točke, ki so blizu sredine, točke proti robu pa predstavljajo reči, ki nimajo lastnosti M . Tako je podovorno področje podeljeno na 8 delov.

To, da noben M ni P označimo tako, da osenčimo (izpraznimo) tiste M , ki so v P .



Pravilnot silogizma pomeni, da ni možno, da sta premisi resnični, zaključek pa neresničen. Negacija zaključka $S \text{ e } P$, to je, da noben S ni P , je obstaja S , ki je P , to je $S \text{ i } P$. Na področje SP postavimo +.



Zdaj zberemo vse tri diagrame skupaj

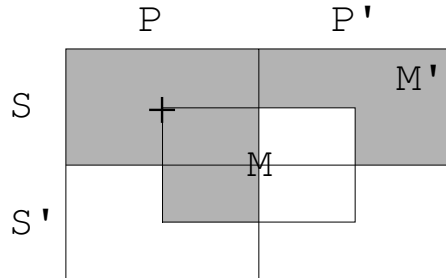


Diagram hkrati zahteva, da področje SP ni prazno (+) in da je prezno (osenčenje). To je seveda protislovje. Zato je silogizem pravilen.

Oglejmo si silogizem

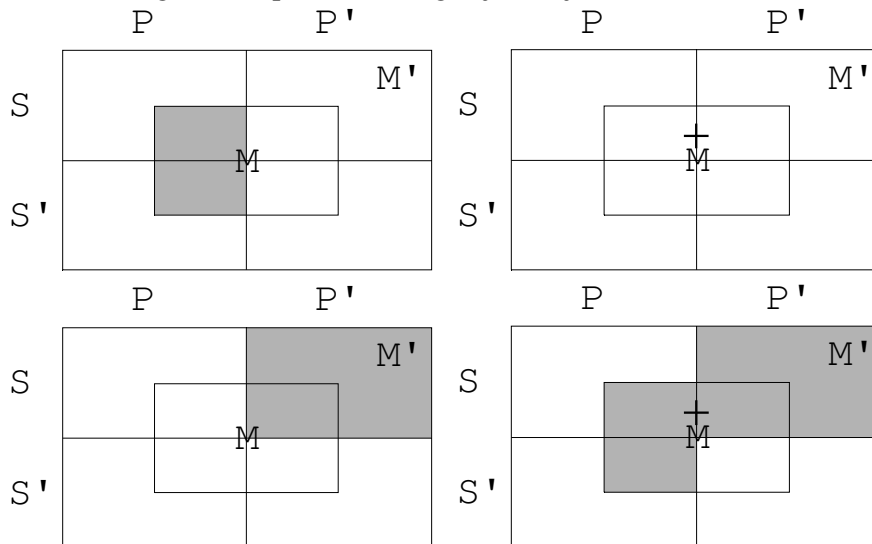
$P e M$

$S i M$

$S o P$

Negacija stavka $S o P$, to je obstaja S , ki ni P , je vsak S je P .

Narišimo diagrame za premise in negacijo zaključka.



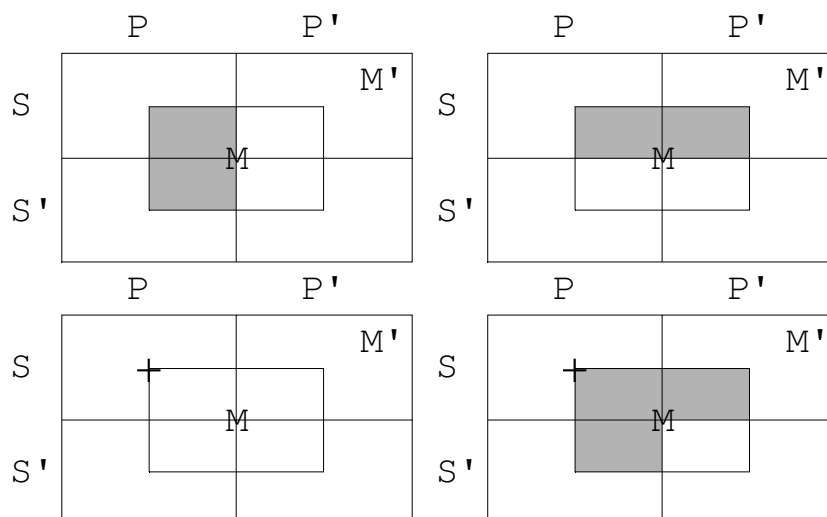
Tudi tokrat je protislovnost premis in negacije zaključka. Silogizem je pravilen.

Vzemimo zdaj silogizem

$P e M$

$M e S$

$S e P$



Tokrat diagram ne predstavlja protislovne situacije. Možno je, da sta premisi resnični, zaključek pa napačen, oz. negacija zaključka resnična. Taki situaciji rečemo *protiprimer*. Če imamo reč z lastnostmi S, P in M', sta premisi izpolnjeni, zaključek pa ni.

Oglejmo si primer silogizma

Vsak delfin je sesalec.

Nobena riba ni delfin.

Nobena riba ni sesalec.

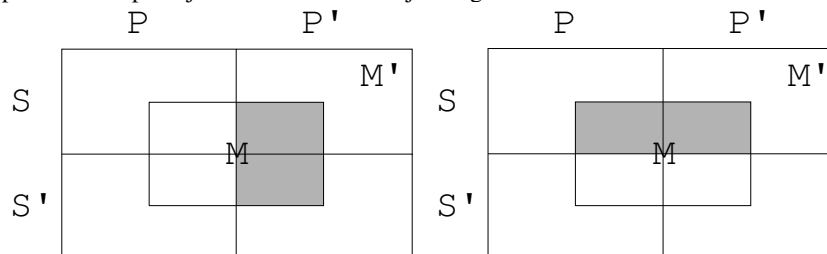
Tu so vsi trije stavki resnični. Vendar pa tretji stavek ne sledi logično iz prvih dveh. Če bi logično sledil, bi bil silogizem

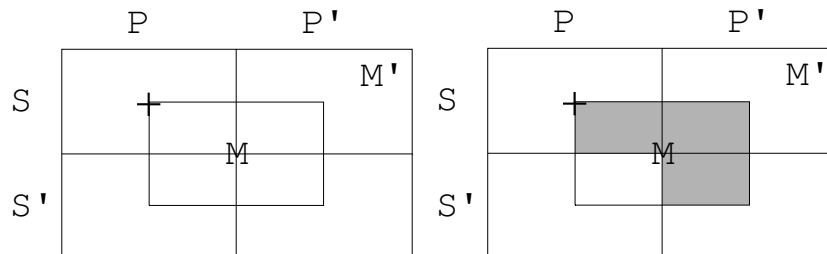
$M \text{ a } P$

$\underline{S \text{ e } M}$

$S \text{ e } P$

pravilen. Da pa ni je razvidno iz naslednjih diagramov.





To pa ni protislovje. Če obstaja reč, ki je S, P in ni M, sta premisi resnični, zaključek pa napačen. Silogizem ni pravilen.

NALOGE

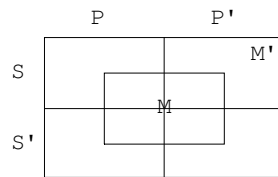
Dokaži, da je silogizem pravilen ali pa sestavi protiprimer.

1.

M a P

S a M

S a P

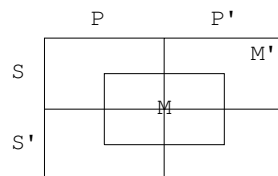


2.

M a P

S a M

S i P

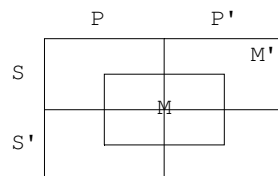


3.

M a P

S a M

S e P

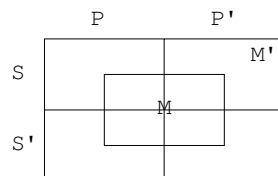


4.

M a P

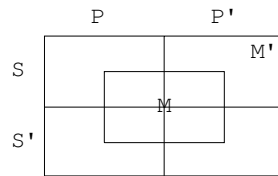
S a M

S o P



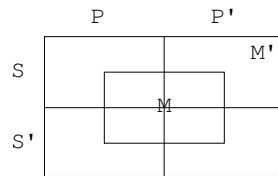
5.
M a P
S i M

S a P



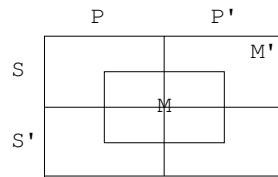
6.
M a P
S i M

S i P



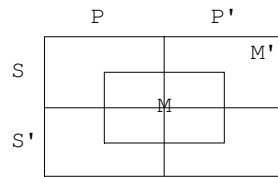
7.
M a P
S i M

S e P



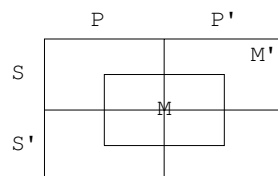
8.
M a P
S i M

S o P



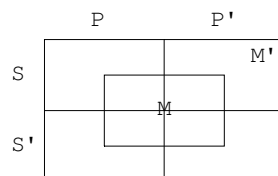
9.
M a P
S e M

S a P



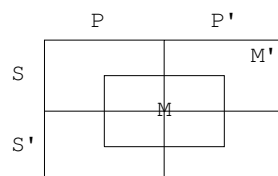
10.
M a P
S e M

S i P



11.
M a P
S e M

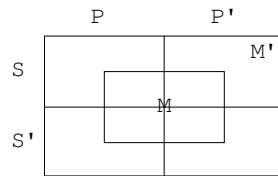
S e P



12.

M a P
 S e M

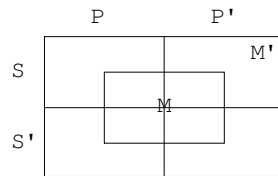
 S o P



13.

M a P
 S o M

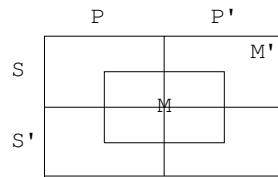
 S a P



14.

M a P
 S o M

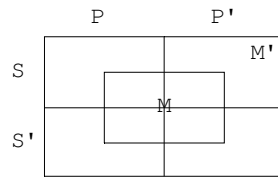
 S i P



15.

M a P
 S o M

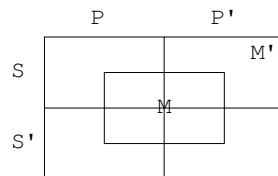
 S e P



16.

M a P
 S o M

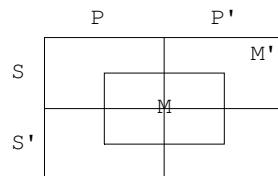
 S o P



17.

M i P
 S a M

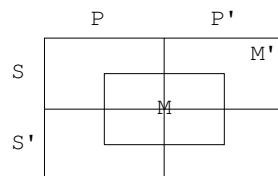
 S a P



18.

M i P
 S a M

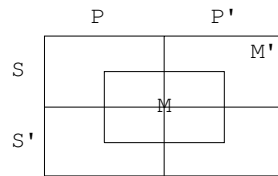
 S i P



19.

M i P
 S a M

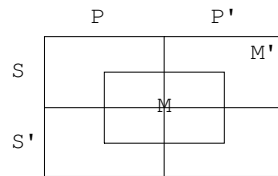
 S e P



20.

M i P
 S a M

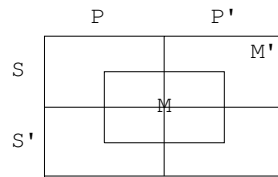
 S o P



21.

M i P
 S i M

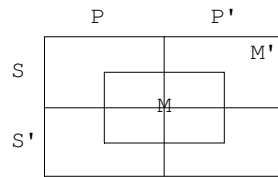
 S a P



22.

M i P
 S i M

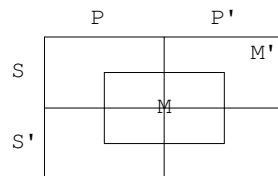
 S i P



23.

M i P
 S i M

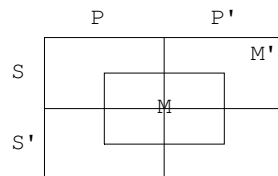
 S e P



24.

M i P
 S i M

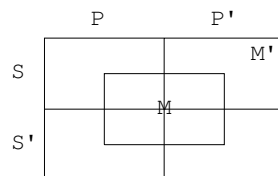
 S o P



25.

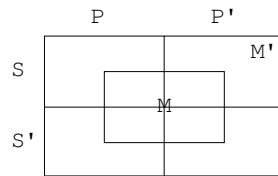
M i P
 S e M

 S a P



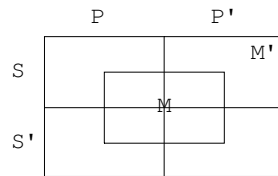
26.
M i P
S e M

S i P



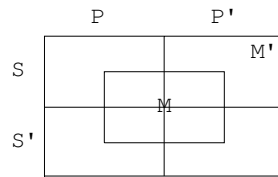
27.
M i P
S e M

S e P



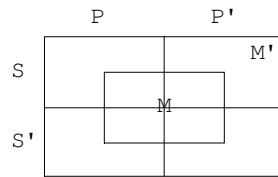
28.
M i P
S e M

S o P



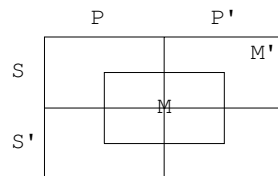
29.
M i P
S o M

S a P



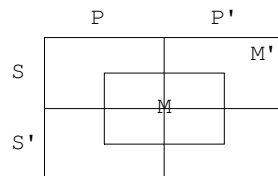
30.
M i P
S o M

S i P



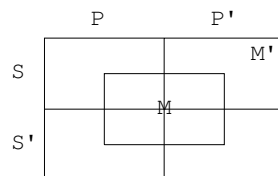
31.
M i P
S o M

S e P



32.
M i P
S o M

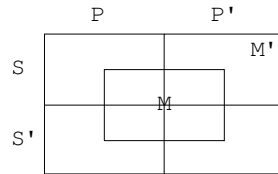
S o P



33.

M e P
 S a M

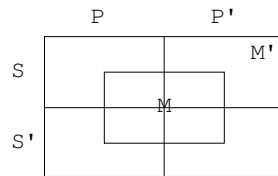
 S a P



34.

M e P
 S a M

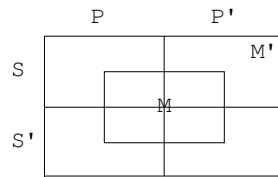
 S i P



35.

M e P
 S a M

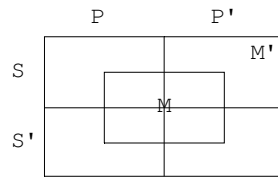
 S e P



36.

M e P
 S a M

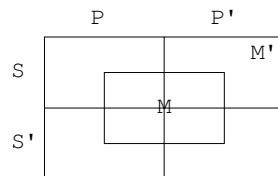
 S o P



37.

M e P
 S i M

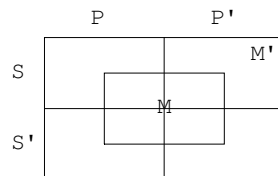
 S a P



38.

M e P
 S i M

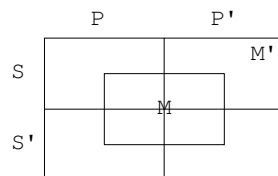
 S i P



39.

M e P
 S i M

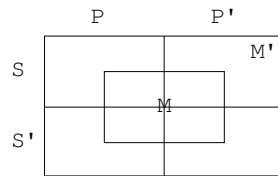
 S e P



40.

M e P
 S i M

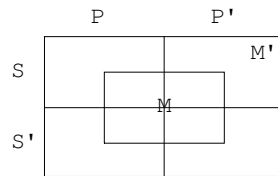
 S o P



41.

M e P
 S e M

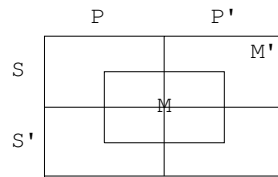
 S a P



42.

M e P
 S e M

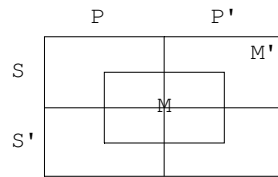
 S i P



43.

M e P
 S e M

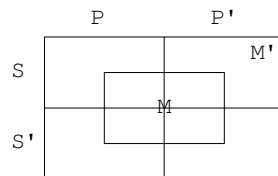
 S e P



44.

M e P
 S e M

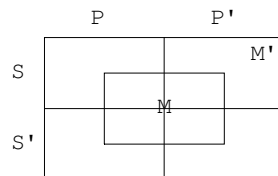
 S o P



45.

M e P
 S o M

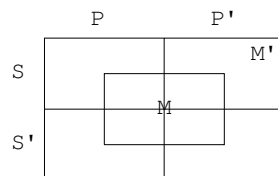
 S a P



46.

M e P
 S o M

 S i P

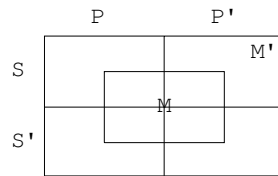


47.

M e P

S o M

S e P

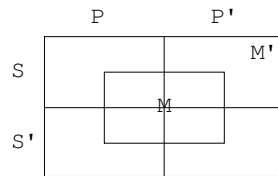


48.

M e P

S o M

S o P

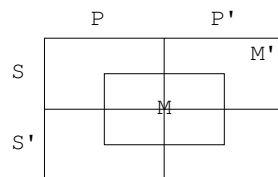


49.

M o P

S a M

S a P

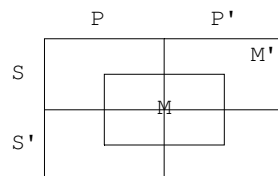


50.

M o P

S a M

S i P

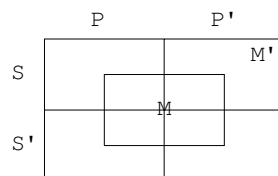


51.

M o P

S a M

S e P

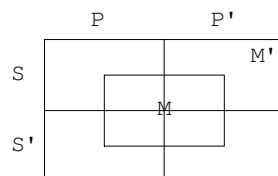


52.

M o P

S a M

S o P

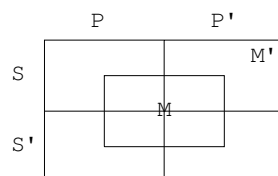


53.

M o P

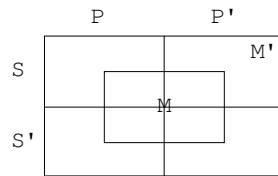
S i M

S a P



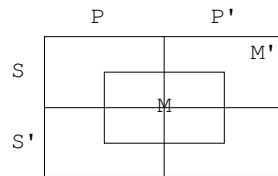
54.
 $M \circ P$
 $S \text{ i } M$

 $S \text{ i } P$



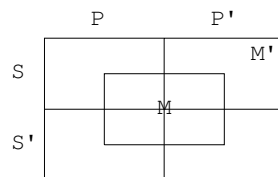
55.
 $M \circ P$
 $S \text{ i } M$

 $S \text{ e } P$



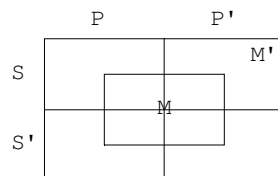
56.
 $M \circ P$
 $S \text{ i } M$

 $S \circ P$



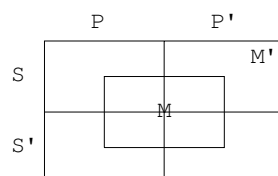
57.
 $M \circ P$
 $S \text{ e } M$

 $S \text{ a } P$



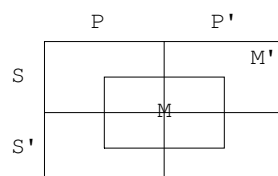
58.
 $M \circ P$
 $S \text{ e } M$

 $S \text{ i } P$



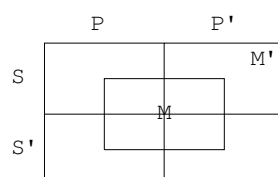
59.
 $M \circ P$
 $S \text{ e } M$

 $S \text{ e } P$



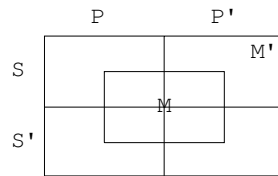
60.
 $M \circ P$
 $S \text{ e } M$

 $S \circ P$



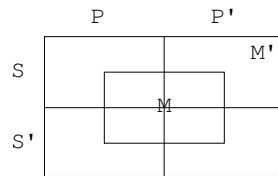
61.
 $M \circ P$
 $S \circ M$

 $S a P$



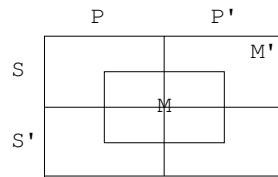
62.
 $M \circ P$
 $S \circ M$

 $S i P$



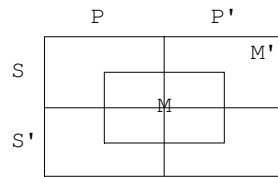
63.
 $M \circ P$
 $S \circ M$

 $S e P$



64.
 $M \circ P$
 $S \circ M$

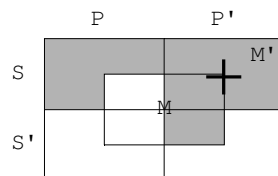
 $S o P$



REŠITVE:

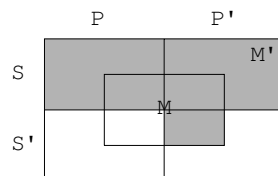
1.
 $M a P$
 $S a M$

 $S a P$



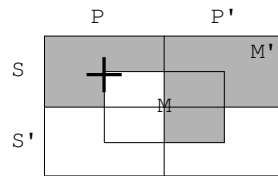
2.
 $M a P$
 $S a M$

 $S i P$



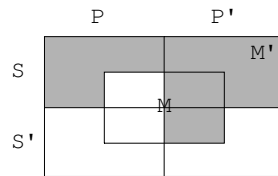
3.
M a P
S a M

S e P



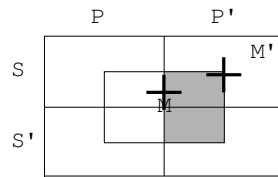
4.
M a P
S a M

S o P



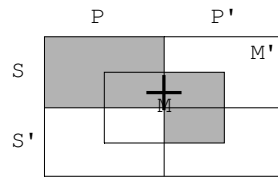
5.
M a P
S i M

S a P



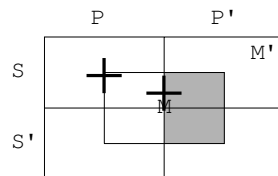
6.
M a P
S i M

S i P



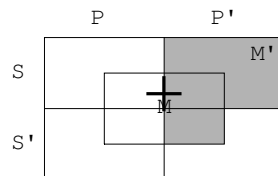
7.
M a P
S i M

S e P



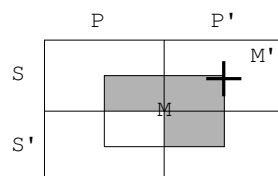
8.
M a P
S i M

S o P



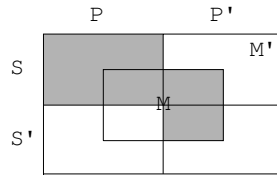
9.
M a P
S e M

S a P



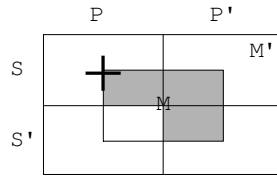
10.
M a P
S e M

S i P



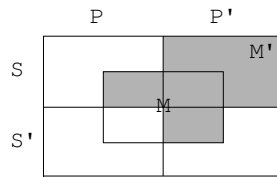
11.
M a P
S e M

S e P



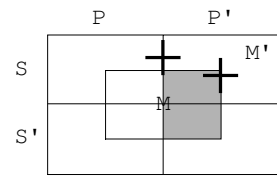
12.
M a P
S e M

S o P



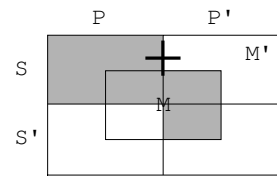
13.
M a P
S o M

S a P



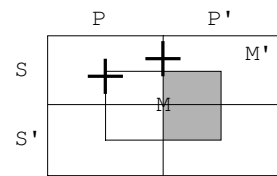
14.
M a P
S o M

S i P



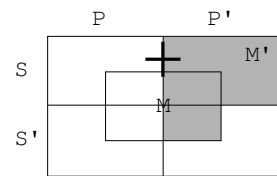
15.
M a P
S o M

S e P



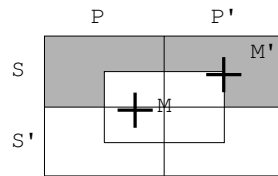
16.
M a P
S o M

S o P



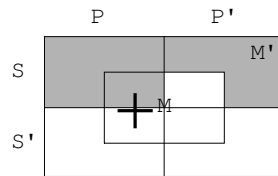
17.
M i P
S a M

S a P



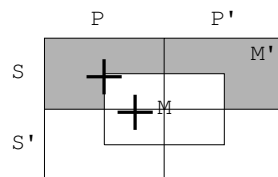
18.
M i P
S a M

S i P



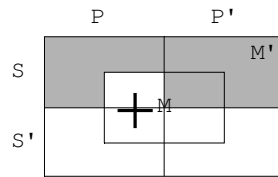
19.
M i P
S a M

S e P



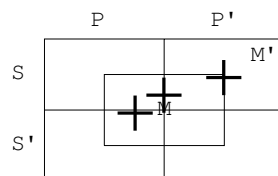
20.
M i P
S a M

S o P



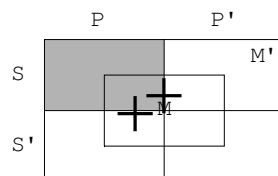
21.
M i P
S i M

S a P



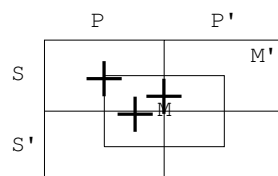
22.
M i P
S i M

S i P



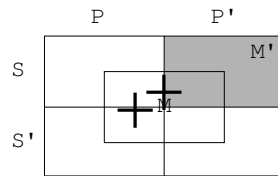
23.
M i P
S i M

S e P



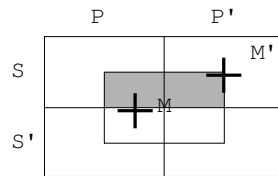
24.
M i P
S i M

S o P



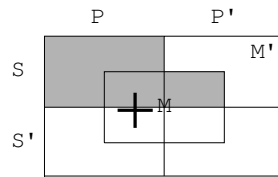
25.
M i P
S e M

S a P



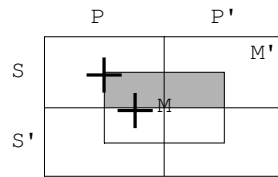
26.
M i P
S e M

S i P



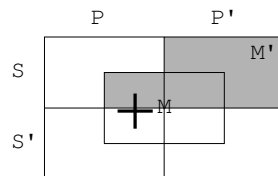
27.
M i P
S e M

S e P



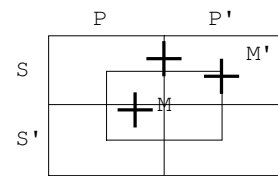
28.
M i P
S e M

S o P



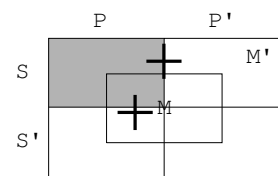
29.
M i P
S o M

S a P



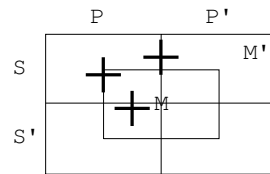
30.
M i P
S o M

S i P



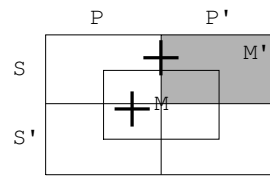
31.
 M i P
 S o M

 S e P



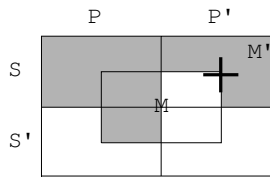
32.
 M i P
 S o M

 S o P



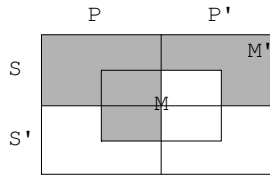
33.
 M e P
 S a M

 S a P



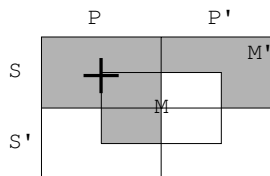
34.
 M e P
 S a M

 S i P



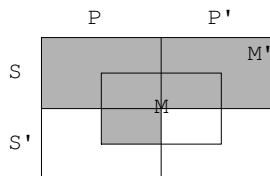
35.
 M e P
 S a M

 S e P



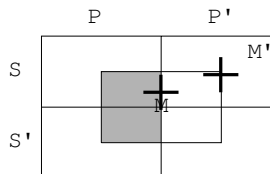
36.
 M e P
 S a M

 S o P



37.
 M e P
 S i M

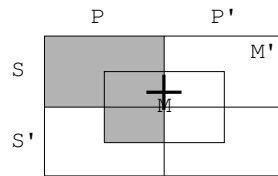
 S a P



38.

M e P
 S i M

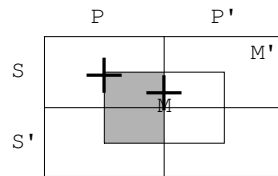
 S i P



39.

M e P
 S i M

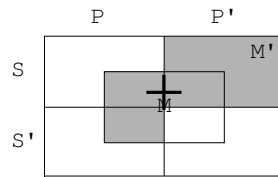
 S e P



40.

M e P
 S i M

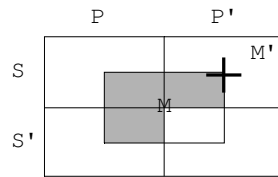
 S o P



41.

M e P
 S e M

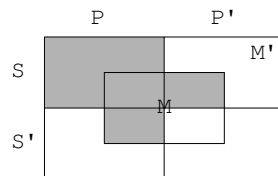
 S a P



42.

M e P
 S e M

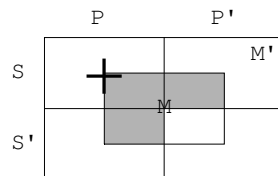
 S i P



43.

M e P
 S e M

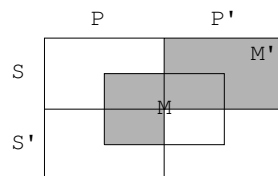
 S e P



44.

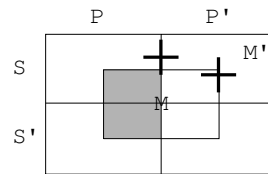
M e P
 S e M

 S o P



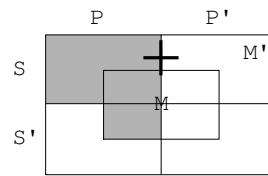
45.
 $M e P$
 $S o M$

 $S a P$



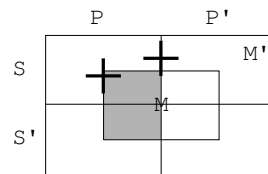
46.
 $M e P$
 $S o M$

 $S i P$



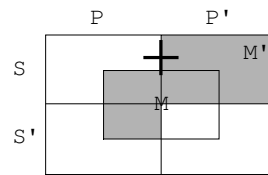
47.
 $M e P$
 $S o M$

 $S e P$



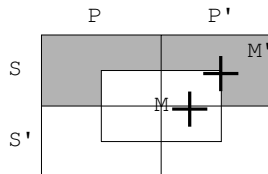
48.
 $M e P$
 $S o M$

 $S o P$



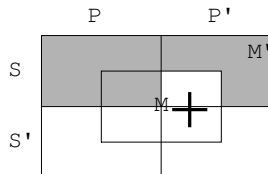
49.
 $M o P$
 $S a M$

 $S a P$



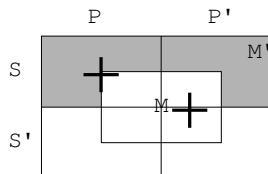
50.
 $M o P$
 $S a M$

 $S i P$



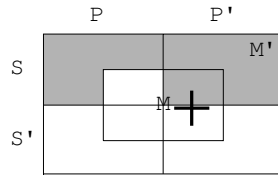
51.
 $M o P$
 $S a M$

 $S e P$



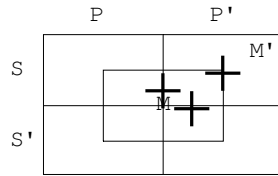
52.
M o P
S a M

S o P



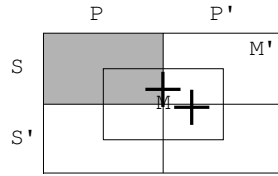
53.
M o P
S i M

S a P



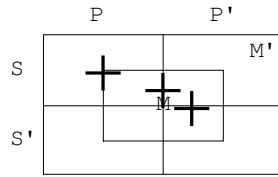
54.
M o P
S i M

S i P



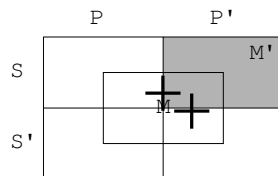
55.
M o P
S i M

S e P



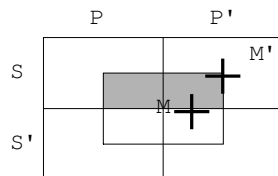
56.
M o P
S i M

S o P



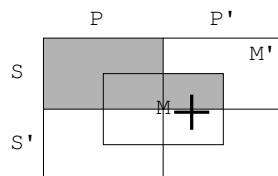
57.
M o P
S e M

S a P



58.
M o P
S e M

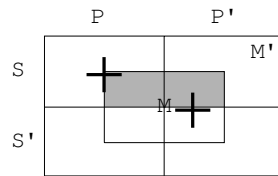
S i P



59.

M o P
 S e M

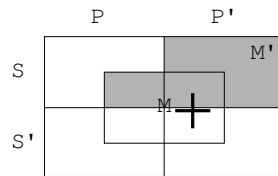
 S e P



60.

M o P
 S e M

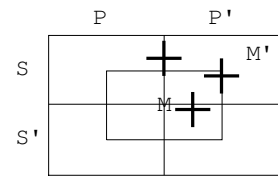
 S o P



61.

M o P
 S o M

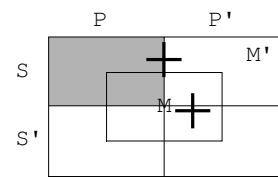
 S a P



62.

M o P
 S o M

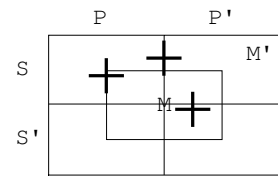
 S i P



63.

M o P
 S o M

 S e P



64.

M o P
 S o M

 S o P

